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Slim Accretion Disk workshop 2018



- Super-Eddington objects in nature
- How can it be?
- What do super-Eddington systems look like?
- Implications to Accretion Systems

## The Eddington Limit

• The Eddington luminosity is the luminosity for which the **radiative force** balances the **gravitational pull** 

$$L_{edd} = \frac{4\pi GMc}{\kappa}$$

• Note: For accretion disks effective area is larger, giving higher Ledd:

$$L_{Edd,acc} \approx \left(1 + \ln\left(\frac{R_{out}}{R_{in}}\right)\right) L_{Edd,Sph}$$



## Why spherical objects first?

- Accretion disks are super-Interesting but more complicated than spherical objects
- We therefore study spherical objects first -Learn how super-Eddington systems behave
- Then apply to Accretion disks

#### η-Carinae - An LBV



## Classical Novae

- When enough hydrogen is accreted on a white dwarf, it ignites.
- **Theory:** It should shine close to the Eddington limit (Paczynski 1970)
- **Reality:** Can be up to 20 times the L<sub>Edd</sub>!





#### Specific Novae Are Super-Eddington for a <u>long time</u> if observed in UV

Nova LMC 1988#1



Extreme L<sub>edd</sub> "upper limit" (M=1.4M<sub>sun</sub>, X=0)

Reasonable L<sub>edd</sub> "upper limit"

(M=1.2M<sub>sun'</sub> X=0.3)



#### Nova LMC 1988#1



Schwarz et al. 1998

Novae have steady state winds with photospheres at  $r_{sonic} \ll r_{ph} \ll v t$  (Bath & Shaviv 1976) Novae have steady state have steady super-Eddington continuum driven winds (Shaviv 2001)

#### Peak Luminosity of Classical Novae is super-Eddington



# iPTF14hls

A supernova?



Arcavi et al. 2017

# iPTF14hls

• Not a supernova, it has a steady state wind  $r_{ph} \ll v t$ 



Arcavi et al. 2017

# iPTF14hls

• Not a supernova, it is also episodic



Mv ~ -15.5

Mv ~ -18.5 500 Ledd of 100 Msun!

## super-Edd in Nature

- LBV Giant Eruptions
- Classical Nova eruptions
- Type IIn (and Ibn) precursors
- Post failed-SN lax winds from WD remnant
- ULXs (which are not IMBH...)

## How can objects be super-Eddington?

• Secret: Atmospheres are porous



#### Instabilities close to Ledd

- There are many radiative hydrodynamic instabilities under various conditions
- Radiation + Hydro + stratification (NJS, 2001)
- Radiation + B-field (Arons '92, Hsu et al. '97, Gammie '98, Blaes & Socrates '01, Begelman '01)
- s-mode instability under special opacity laws (Glatzel 1994; Papaloizou et al. 1997)







#### Instabilities close to Ledd



Jiang et al. 2015

#### **Full Picture**

Atmospheres are **unstable** as they approach the Eddington Luminosity

Atmospheres become Inhomogeneous

Effective Opacity is Reduced

Effective Eddington Luminosity is Increased

What do these atmospheres look like? "...The answer my friends, is blowing in the wind, the answer is blowing in the wind..."



## Wind from super-Edd Atmospheres

• Theory predicts wind from region where structure becomes optically thin (transparent)



### Structure of Porous atmospheres



#### NJS (2000)

### Structure of Porous atmospheres

• 18 years later + 7000 CPU years (!)



Jiang et al. (2018)



Sundqvist, Owocki & Puls (2018)

### photospheres

- In optically thick winds, the photosphere resides in the wind. (Bath & Shaviv 1976)
- For m-dots seen in  $\eta$  Car: One expects  $T_{eff}\sim$  5000K
- This is seen in the light echo (Rest et a. 2012).



### The Winds

 Given photospheric conditions (L, v, m-dot or Tph, M) we can integrate down until we reach the sonic radius.

 $\dot{M} = 4\pi\rho v r^2$ 

$$v\frac{dv}{dr} = \frac{\kappa}{c} \left(\frac{L}{4\pi r^2} - 4vP_{\rm rad}\right) - \frac{GM}{r^2} - \frac{1}{\rho}\frac{dP}{dr}$$
$$\frac{d}{dr}[\dot{M}(v^2/2 + h_g - GM/r) + L] = 4\pi r^2 \dot{q}$$

$$\frac{dP_{\rm rad}}{dr} = -\frac{\rho\kappa}{c} \left(\frac{L}{4\pi r^2} - 4vP_{\rm rad}\right) \,,$$

### e.g., solution for iPTF14hls



#### Empirically obtaining $W(\Gamma)$

• W is expected to be O(1), and slowly falling with  $\Gamma$  (higher  $\Gamma$ , more nonlinear structure, lower effective opacity).



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### Application to Accretion Disks



#### **Radial Structure: Equations**

Mass conservation,

$$\frac{d\dot{\mathbf{m}}}{dr} = 4\pi r \dot{\Phi}_{\text{wind}}$$

• Radial momentum,

$$v_r \frac{dv_r}{dr} + \frac{1}{\rho} \frac{dP}{dr} = -\frac{\partial \Psi}{\partial r}$$

Pseudo-Newtonian potential

$$\Psi = -\frac{GM_{\rm BH}}{R - rg} \qquad \qquad R = \sqrt{r^2 + z^2}$$

#### **Radial Structure**

• Angular momentum,

$$\rho v_r \frac{d}{dr} \left( r^2 \omega \right) = -\frac{1}{r} \frac{d}{dr} \left( r^2 \tau_{r\phi} \right) \qquad \tau_{r\phi} = -\alpha P_{\text{tot}}$$

Advection,

$$T\frac{ds}{dr} = (F - \phi)\frac{4\pi r}{\dot{m}}$$

#### Vertical Structure: Hydrostatic region

• Hydrostatic equilibrium,

$$\frac{1}{\rho}\frac{dP}{dz} = -\frac{d\Psi}{dz}$$

• Temperature gradient,

$$\frac{dT}{dz} = \begin{cases} \frac{\gamma - 1}{\gamma} \frac{dP}{dz} \frac{T}{P}, & \text{in the convective zone,} \\ -\frac{3\kappa_{\text{eff}}\rho F}{4acT^3}, & \text{in the radiative zone,} \end{cases}$$

#### Vertical Structure: Porous Atmosphere

The effective opacity is

Reduction above  $\Gamma_{crit}$ 

$$\frac{\kappa_{\text{eff}}}{\kappa_0} = \left(1 - \frac{A}{\Gamma^B}\right) \frac{1}{\Gamma} \quad \text{for} \quad \Gamma > \Gamma_{\text{crit}}$$
$$\frac{\kappa_{\text{eff}}}{\kappa_0} = 1 \quad \text{for} \quad \Gamma > \Gamma_{\text{crit}}$$

Smooth Option:  

$$\frac{\kappa_{\text{eff}}}{\kappa_0} = \frac{1}{(1+\Gamma^p)^{1/p}}$$



#### Super-Eddington Winds

Local mass loss rate,

$$\dot{\Phi} = \mathcal{W} \frac{F - \mathcal{F}_{\text{Edd}}}{cv_s}$$

• Equation of motion,

$$\rho v_z \frac{dv_z}{dz} = -\frac{dP}{dz} - \rho g_z$$

Energy conservation,

$$F(z) = F_{\text{atm}} - \dot{\Phi}_{\text{wind}} \left(\frac{v_z^2}{2} + \frac{GM_{\text{BH}}}{R_{\text{atm}}} - \frac{GM_{\text{BH}}}{R}\right)$$

#### Photon Tired winds

 When available radiative flux at the sonic point F<sub>0</sub> is insufficient, photon tired wind is formed

$$\dot{\Phi}_{\rm tiring} \equiv F/(GM_{\rm BH}/R_{\rm atm})$$

Actual mass loss is reduced, (van Marle et al. 2009)

$$\frac{\dot{\Phi}_{\text{wind}}}{\dot{\Phi}_{\text{tiring}}} \simeq max \left( 0.2 \left( \frac{F}{F_{\text{Edd}}} \right)^{0.6}, 0.9 \right)$$

#### Real Appearance (I: I Aspect ratio)



#### Real Appearance (I:I Aspect ratio), zoomed in





#### Super-Eddington Slim Accretion

Dotan & Shaviv 2012

- Super-Edd states allow for super-Eddington accretion
- Predicted X-ray spectrum consistent with observations





### Predicts super-Eddington Accretion



### For high accretion rates

- For Mdot > 30 Mcrit, zph > r -> inconsistent solution
- Wind becomes spherical?



Slim disks with spherical winds

## For high accretion rates



#### Quasi-star accretion

 Another accretion geometry is that of "quasi-stars"





### Summary

- The Eddington luminosity is not a limit!
- Super-Eddington states exist
   They have strong winds

$$\dot{m} = \mathcal{W} \frac{(L - L_{Edd})}{v_s c}$$

 Super-Eddington states explain a range of astrophysical phenomena







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